

Time in distributed system

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**From Chapter 14 of Distributed Systems
Concepts and Design,**

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Education**

Time in distributed system

- Introduction
- Clocks, events and process states
- Synchronizing physical clocks
- Logical time and logical clocks

Time is an important issue in DS

- Need to measure accurately
 - Know at what time a particular event occurred, synchronize clock with external source of time, E.g. auditing in e-commerce
- Algorithms depending on clock synchronization
 - E.g. maintaining consistency of databases
- **The problem** is based on a limitation to timestamp events at different nodes sufficiently accurately to know the order in which any pair of events occurred.

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Model of a distributed system

- $\mathcal{P}$
 - A collection of N processes p_i , $i = 1, 2, \dots, N$
- s_i
 - The state of p_i
 - E.g. variables
- **Actions of p_i**
 - Operations that transform p_i 's state
 - Send or receive message between p_j

Model of a distributed system

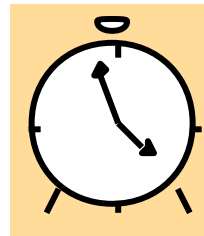
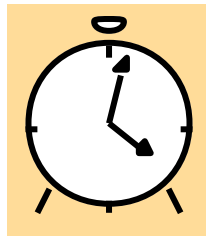
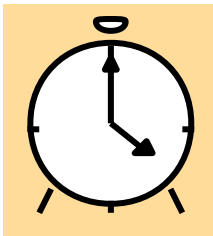
- e
 - Event: occurrence of a single action
- $\rightarrow_i$
 - occur before in p_i , e.g. $e \rightarrow_i e'$
 - Total order of events in p_i
- $history(p_i) = h_i$ the series of events that take place within p_i ordered by the relation $\rightarrow_i$
 - $h_i = \langle e_i^0, e_i^1, e_i^2, \dots \rangle$

Clock in computer

- How to timestamp the events at a process?
- We need **Clock**
- **Clock** is a device that count oscillations occurring in a crystal at a definite frequency
- The OS reads the node's Hardware time: $H_i(t)$ to produce a Software time $C_i(t)$.
- We use this value to *Timestamp* any event at p_i
 - Assign a date and time to the event

Clock skew and clock drift

- Clock drift
 - Crystal oscillate at different rate
 - Clock drift can not be avoided
- Clock skew
 - The instantaneous difference between the readings of any two clocks



Netw ork

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External & Internal synchronization

- *In order to know at what time events occur at the processes in our DS it is necessary to synchronize the process' clocks*
- C_i : p_i 's clock
- I : an interval of real time
- **External synchronization**
 - For a synchronization bound $D > 0$, and for a source S of time, $|S(t) - C_i(t)| < D$, for $i = 1, 2, \dots, N$ and for all real times t in I
 - Clocks C_i are **accurate** to within the bound D

External & Internal synchronization (2)

- Internal synchronization
 - For a synchronization bound $D > 0$,
 $|C_i(t) - C_j(t)| < D$ for $i, j = 1, 2, \dots, N$, and for all real times t in I
 - Clocks C_i *agree* within the bound D
- If *accurate* to within D , then *agree* within $2D$

Synchronization in a synchronous system

- Internal synchronization between two processes in a synchronous distributed system.
- Protocol
 - Sender: send $M(t)$
 - Receiver: set time to $t + T_{trans}$
- Bounds are known in synchronous system
 - ❖ $\min < T_{trans} < \max$ (constant)
- So, set $T_{trans} = (\min + \max) / 2$
 - Receiver's clock = $t + (\min + \max) / 2$

Synchronization in a synchronous system(2)

- Clock skew between sender and receiver
❖ $(\max - \min) / 2$



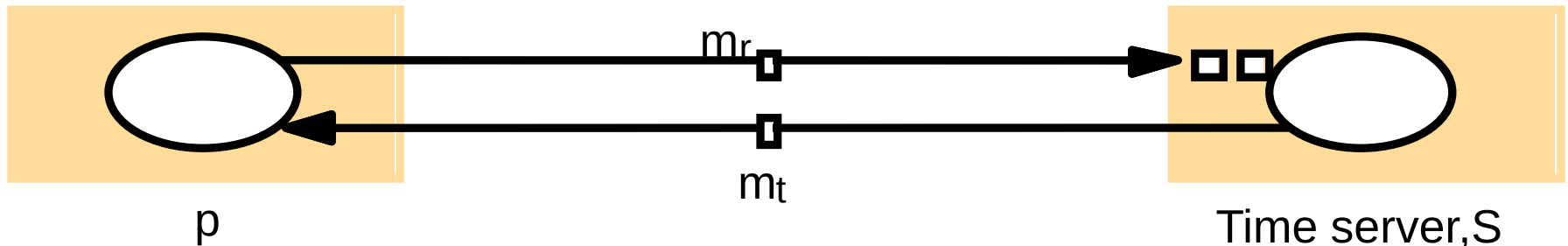
Cristian's method of synchronizing clocks

- Cristian use a time server to synchronize computers externally
- Applying circumstance
 - C/S
 - Round-trip time is short compared with the required accuracy

Cristian's method of synchronizing clocks

- Protocol

- A process p requests the time in a message m_r , and receives the time value t in a message m_t (t is inserted in m_t at the last possible point before transmission from S').
- Process p records the total round-trip time T_{round} taken to send the request m_r and receive the reply m_t .
- $m_r, m_t(t), T_{round}$
- Estimated time: t in $m_t + T_{round}/2$



The Berkeley algorithms

- **Internal synchronization**
- A coordinator computer is chosen to act as the master.
 1. The master periodically **polls** the slaves' clocks (computers whose clocks are to be synchronized)
 2. The slaves **send back** their clock values to it.
 3. The master **estimates the slaves' clocks** by round-trip time
 - Similar to Christian's algorithm
 4. The master **averages the slaves' clock** values (including its own clock's reading).
 - Cancel out the individual clock's tendencies to run fast or slow

The Berkeley algorithms (2)

5. The master **sends back** to the slaves the amount that the slaves' clocks should adjust by
 - Positive or negative value
 6. Slave **adjust** its clock
- The Berkeley algorithm eliminates readings from faulty clocks.
 - the master takes a fault-tolerant average (a subset is chosen of clocks that do not differ from one another by more than a specified amount, and the average is taken of readings from only these clocks.
 - If the master fail, then another can be elected to take over and function exactly as its predecessor.

The Network Time Protocol

- NTP defines an architecture for a time service and a protocol to distribute time information over the Internet.

Design aims:

- External synchronization
 - Enable clients across the Internet to be synchronized accurately to **UTC** (an international standard for timekeeping)
- Reliability
 - Can survive lengthy losses of connectivity
 - **Redundant server & redundant path** between servers

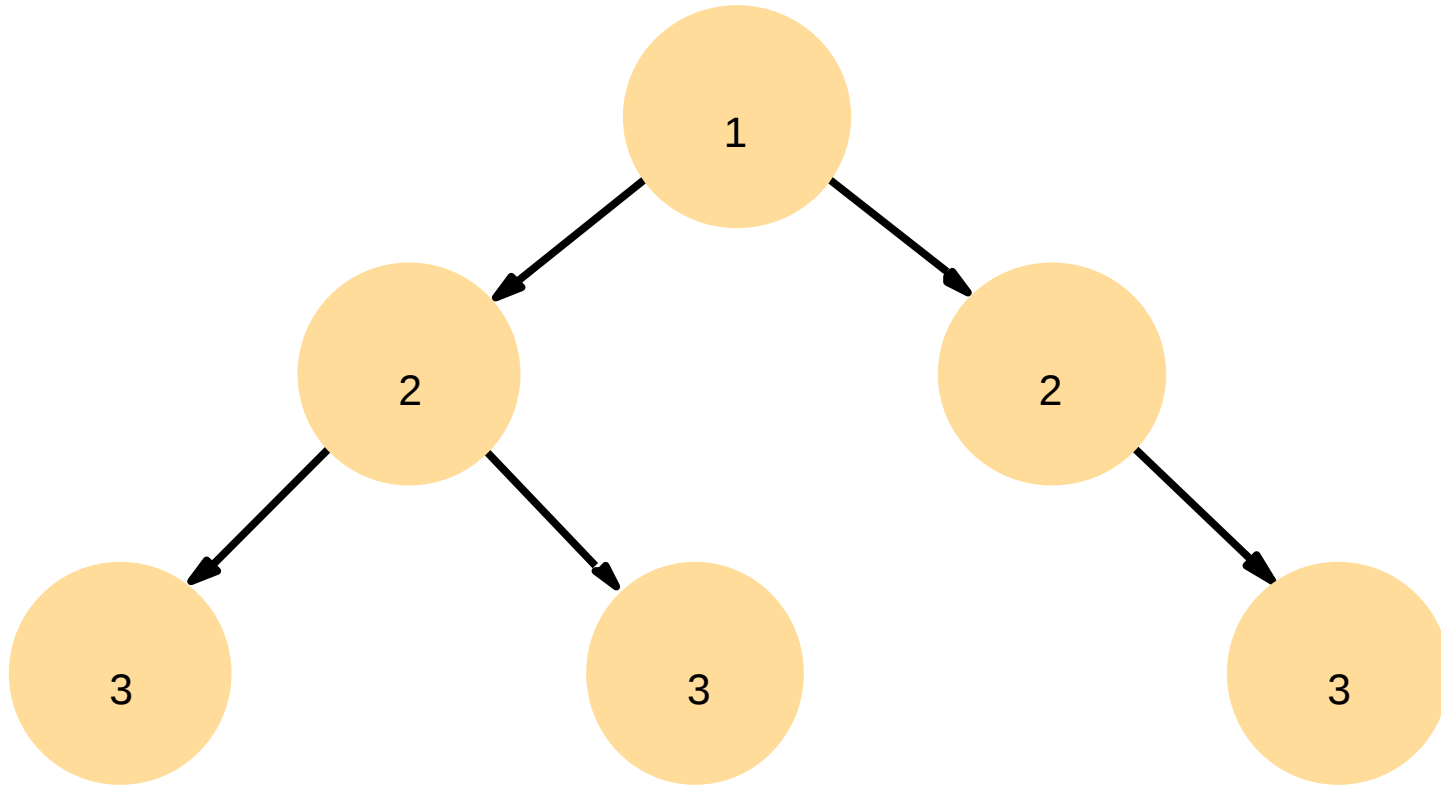
Design aims of Network Time Protocol (2)

- Scalability
 - Enable clients to resynchronize **sufficiently frequently** to offset the rates of drift found in most computers (large numbers of clients and servers)
- Security
 - Protect against interference with the time service, whether malicious or accidental

Network Time Protocol Architecture

- The NTP service is provided by a **network of servers** located across the Internet.
- **Primary servers** are connected directly to a time source such as a radio clock receiving UTC;
- **secondary servers** are synchronized, ultimately, with primary servers.
- The servers are connected in a logical hierarchy called a **synchronization subnet** (see Figure), whose levels are called **strata**.
- Primary servers occupy **stratum 1**: they are at the root.
- **Stratum 2** servers are secondary servers that are synchronized directly with the primary servers;
- **Stratum 3** servers are synchronized with stratum 2 servers, and ...
- The lowest-level (**leaf**) servers execute in users' workstations.

Network Time Protocol Architecture



Note: Arrows denote synchronization control, numbers denote strata.

- Reconfigure when servers become unreachable

NTP servers synchronization modes

1. Multicast mode

- Intend for use on a high speed LAN

- One or more servers periodically multicasts the time to the servers running in other computers connected by the LAN, which set their clocks assuming a small delay.

- Low accuracy

- Sufficient for many purposes

2. Procedure-call mode

- Similar to Christian's algorithm

- In this mode, one server accepts requests from other computers, which it processes by replying with its timestamp (current clock reading).

- Higher accuracy than multicast

NTP servers synchronization modes

3. Symmetric mode

- is intended for use by the servers that supply time information in LANs and by the higher levels (lower strata) of the synchronization subnet
- A pair of servers operating in symmetric mode exchange messages bearing timing information.
- The highest accuracy

Time in distributed system

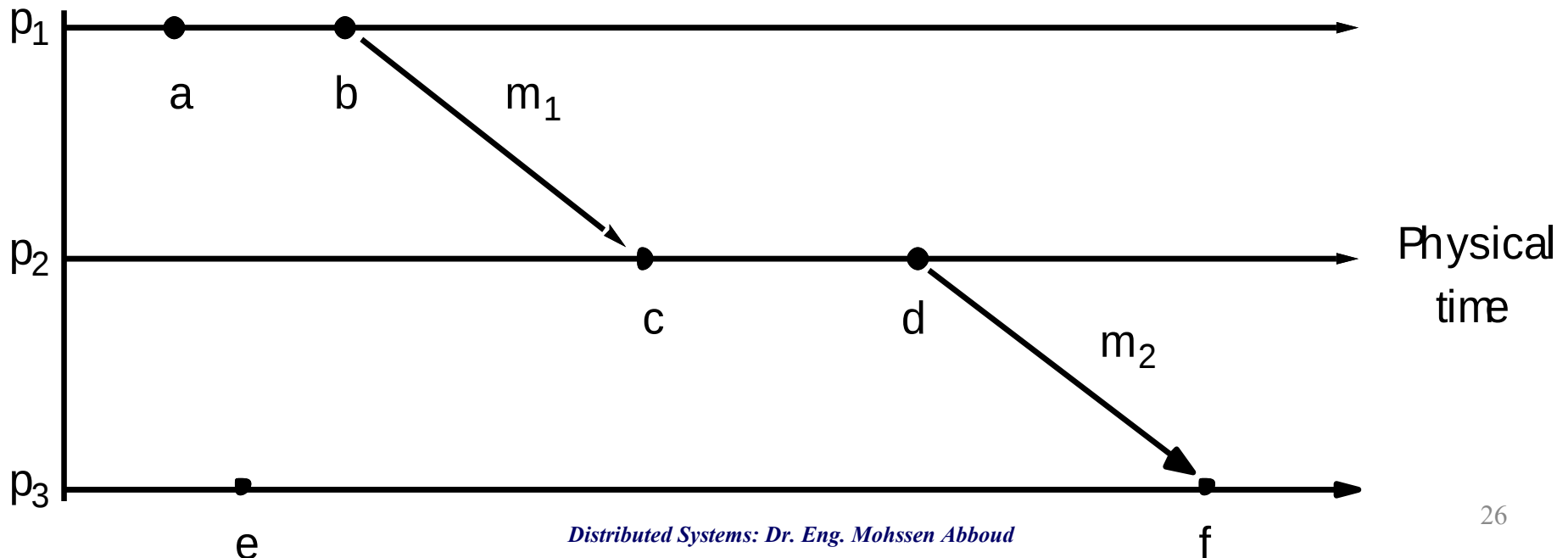
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Happen-before relation

- From the point of view of any single process, events are ordered uniquely by times shown on the local clock
- since we cannot synchronize clocks perfectly across a distributed system, we cannot use physical time to find out the order of any arbitrary pair of events occurring within it.
- →
 - HB1: If $\exists$ process p_i : $e \rightarrow_i e'$, then $e \rightarrow e'$
 - HB2: For any message m , $\text{send}(m) \rightarrow \text{receive}(m)$
 - HB3: IF e , e' and e'' are events such that $e \rightarrow e'$ and $e' \rightarrow e''$, then $e \rightarrow e''$
 - *Causal ordering*

Happen-before relation

- The relation $\rightarrow$ is illustrated for the case of three processes, p_1 , p_2 and p_3 , in the Figure
- It can be seen that $a \rightarrow b$, $c \rightarrow d$, $b \rightarrow c$ $d \rightarrow f$.
- we may also say that, $a \rightarrow f$.



Happen-before relation

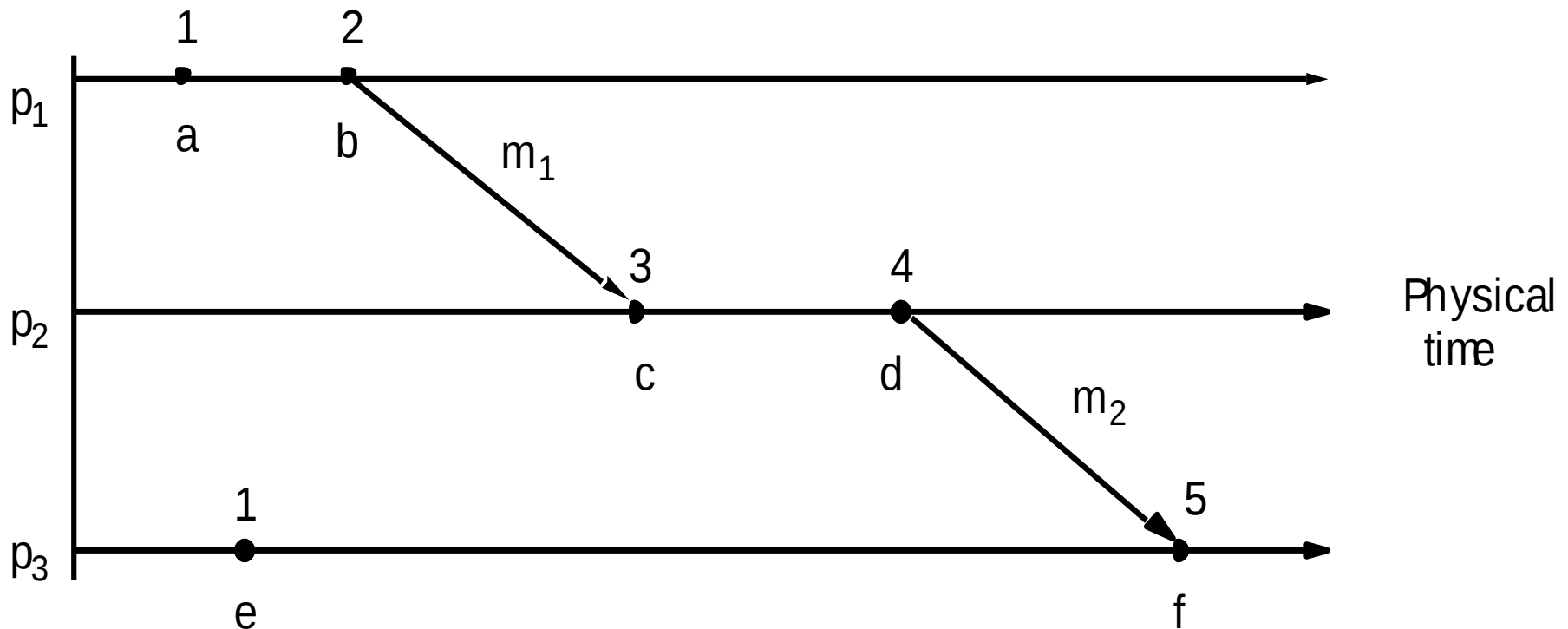
- It can also be seen from the Figure that not all events are related by the relation $\rightarrow$
- For example, **a** and **e**, since they occur at different processes, and there is no chain of messages intervening between them.
- We say that events such as **a** and **e** that are not ordered by $\rightarrow$ are concurrent and write **a || e**

Lamport timestamps algorithm

- Lamport invented a simple mechanism by which the happened before ordering can be captured numerically, called a **logical clock**
- **logical clock** is a monotonically increasing software counter L_i , whose value need bear no relationship to any physical clock.
- LC1
 - L_i is incremented before each event is issued at process p_i : $L_i := L_i + 1$
- LC2:
 - (a) When a process p_i sends a message m , it piggybacks on m the value $t = L_i$
 - (b) On receiving (m, t) , a process P_j computes $L_j := \max(L_j, t)$ and then applies LC1 before timestamping the event $\text{receive}(m)$

Lamport timestamps algorithm (2)

- $e \rightarrow e' \Rightarrow L(e) < L(e')$
- $L(e) < L(e') \Rightarrow e \rightarrow e' \text{ or } e \parallel e'$



Totally ordered logical clocks

Assumption

T_i : local timestamp of e that is an event occurring at p_i

T_j : local timestamp of e' that is an event occurring at p_j

Define the timestamps of e, e' are $(T_i, i), (T_j, j)$

Define $<$

$(T_i, i) < (T_j, j)$ if $T_i < T_j$, or $T_i = T_j$ and $i < j$

- Useful in some applications

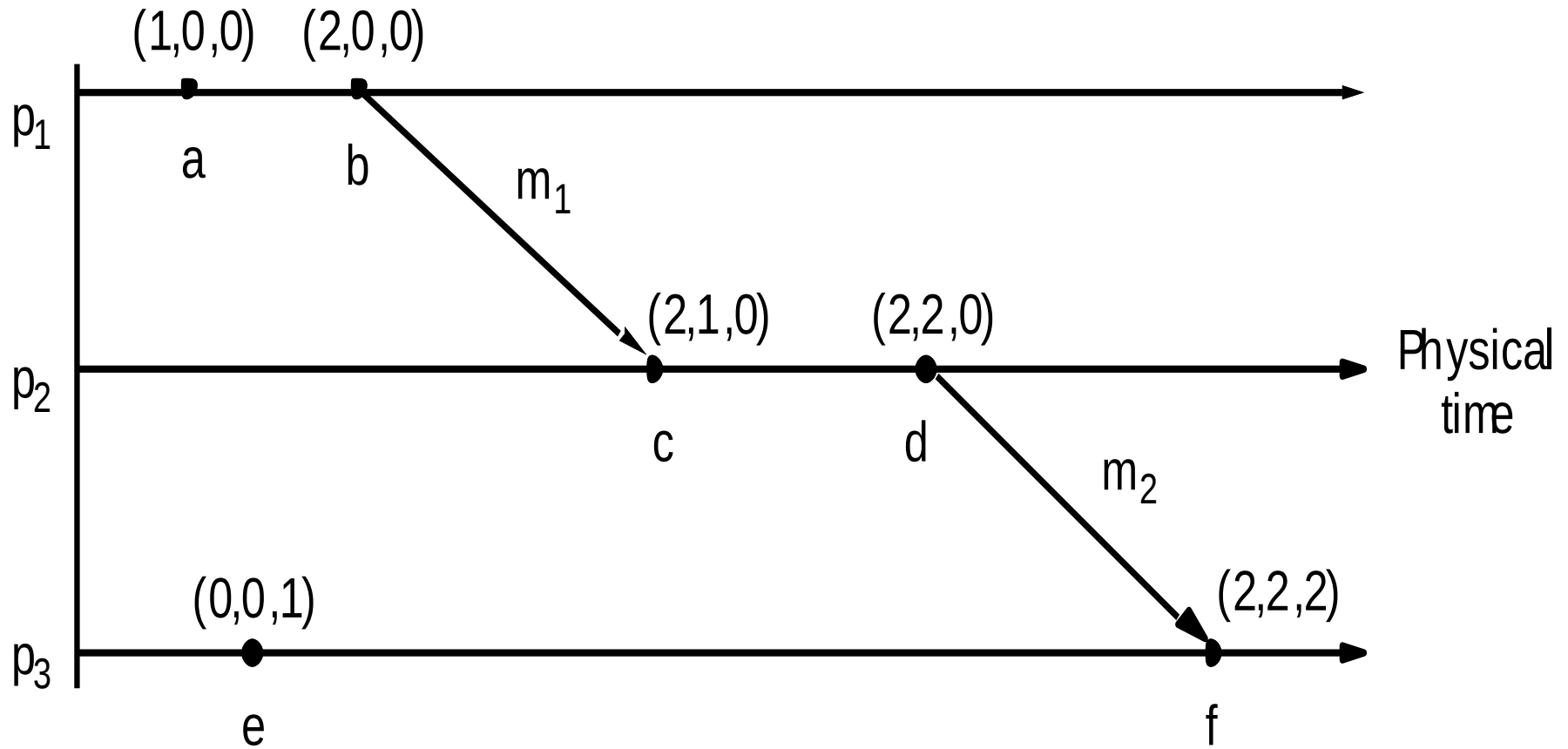
Vector Clocks - algorithm

- Mattern and Fidge developed **vector clocks** to overcome the fact that from $L(e) < L(e')$ we cannot conclude that $e \rightarrow e'$
- Each process p_i keeps a vector clock V_i
- VC1: Initially, $V_i[j]=0$, for $i, j = 1, 2, \dots, N$
- VC2: Just before p_i timestamps an event, it sets $V_i[i] := V_i[i] + 1$
- VC3: p_i includes the value $t=V_i$ in every message it sends
- VC4: When p_i receives a timestamp t in a message, it sets $V_i[j] := \max(V_i[j], t[j])$, for $j=1, 2, \dots, N$

Vector Clocks - significance

- Compare vector timestamps
 - $V = V'$ iff $V[j] = V'[j]$ for $j = 1, 2, \dots, N$
 - $V \leq V'$ iff $V[j] \leq V'[j]$ for $j = 1, 2, \dots, N$
 - $V < V'$ iff $V[j] < V'[j]$ for $j = 1, 2, \dots, N$
 - Otherwise $V \neq V'$
- Let $V(e)$ be the vector timestamp applied by the process at which e occurs
 - $V(e) < V(e') \Leftrightarrow e \rightarrow e'$,
 - $V(e) \neq V(e') \Leftrightarrow e \parallel e'$

Vector Clocks - example



Vector Clocks - example

- The figure shows the vector timestamps of the events.
- It can be seen, for example, that $V(a) < V(f)$, which reflects the fact that $a \rightarrow f$.
- Similarly, we can tell when two events are concurrent by comparing their timestamps.
- For example, that $c \parallel e$ can be seen from the facts that neither $V(c) \leq V(e)$, nor $V(e) \leq V(c)$,

Vector Clocks - example

